PROBLEM SET: Describing Orientation Data With Fisher Statistics
Name: $\qquad$

1. Use the Excel spreadsheet provided to find the average and radius of the $95 \%$ confidence interval (CI) for the following surface orientations that are expressed in the quadrant method: N45E 63SE, N43E 60SE, N46E,62SE. As a partial check, the average dip angle is $62^{\circ}$. Express your average using the same method used to express the input data.
average: $\qquad$ 95\% CI: $\qquad$
2. Find the average and radius of the $95 \% \mathrm{CI}$ for the following surface orientations that are expressed in the azimuth method: 138, 14; 140, 18; 135, 17. Express your average using the same method used to express the input data.
$\qquad$
3. Find the average and radius of the $95 \% \mathrm{CI}$ for the following vectors that are expressed as plunge and trend: 32,$210 ; 35,213 ; 33,215 ; 38,218 ; 34,214$. As a partial check, the average dip angle is $34^{\circ}$. Express your average using the same method used to express the input data.
average: $\qquad$ 95\% CI: $\qquad$
4. Define your own problem similar to the previous three problems, using 3-5 data points. Express the problem below in correct standard English, and provide the answer.
average: $\qquad$ 95\% CI: $\qquad$
5. Modify the Excel spreadsheet provided so that it can compute the average and $95 \%$ CI of the following 7 paleomagnetic vectors for the same site, with orientations expressed as plunge (inclination) and trend (declination): 54, 312; 58, 311; 56, 314; 55, 313; 52, $313 ; 58,300 ; 53,309$. Express your average using the same method used to express the input data. As a partial check on your answer, the plunge of the site average vector is $55^{\circ}$. Provide a copy of your modified spreadsheet.
$\qquad$ 95\% CI: $\qquad$
6. Explore the relationship between the number of observations used to compute a site average and the corresponding radius of the $95 \% \mathrm{CI}\left(\alpha_{95}\right)$, given the following dataset.

|  | plunge | trend |
| :--- | :---: | :---: |
| Observation 1: | $48^{\circ}$ | $67^{\circ}$ |
| Observation 2: | $46^{\circ}$ | $69^{\circ}$ |
| Observation 3: | $42^{\circ}$ | $72^{\circ}$ |
| Observation 4: | $47^{\circ}$ | $65^{\circ}$ |
| Observation 5; | $41^{\circ}$ | $68^{\circ}$ |
| Observation 6: | $45^{\circ}$ | $75^{\circ}$ |
| Observation 7: | $44^{\circ}$ | $70^{\circ}$ |

a. Compute the average and $\alpha_{95}$ for any four different sets of 3 observations (e.g., observations 1,3 and 5 ; observations 2, 4 and 6; observations 2, 5 and 7; observations 3, 4 and 6).
b. Compute the average and $\alpha_{95}$ for any four different sets of 4 observations.
c. Compute the average and $\alpha_{95}$ for any four different sets of 5 observations.
d. Compute the average and $\alpha_{95}$ for any four different sets of 6 observations.
e. Compute the average and $\alpha_{95}$ for all 7 observations.
f. Using the data you obtained from steps a-e, plot the data relating number of observations to $\alpha_{95}$ below.

g. What conclusion do you draw from this exercise regarding how the number of observations affects the average and $\alpha_{95}$ ?

